

Massive star population synthesis with binaries

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We first give a short historical overview with some key facts of massive star population synthesis with binaries. We then discuss binary population codes and focus on two ingredients which are important for massive star population synthesis and which may be different in different codes. Population simulations with binaries is the third part where we consider the initial massive binary frequency, the RSG/WR and WC/WN and SNII/SNIbc number ratio's, the probable initial rotational velocity distribution of massive stars.

1 Introduction

It is generally accepted that most of the Wolf-Rayet stars are massive hydrogen deficient core helium burning stars. Some WNL stars (using the original abbreviation-definition of Vanbeveren and Conti, 1980) may be core hydrogen burning objects. They are not considered in the present paper. In the late sixties and seventies Roche lobe overflow (RLOF) in binaries was considered as a most plausible process capable to remove the hydrogen rich layers of a star. Furthermore, at the massive star conference in 1971 in Buenos Aires, Kuhl (1973) presented statistical arguments to conclude that all galactic WR stars may be binary components. At the same time large observational data sets became available of X-ray binaries and together with the WR argument it made flourish massive close binary evolution. Some protagonists are B. Paczynski, E. van den Heuvel, I. Iben, A. Tutukov, L. Yungelson, C. De Loore and the Brussels gang. Interested readers may find many massive binary evolution studies published in this period.

The early seventies are also characterised by important breakthroughs in the study of stellar winds of massive stars (e.g., Castor et al. 1975) and the question was raised whether or not WR stars could form via massive single star evolution, single stars that lose their hydrogen rich envelope by stellar winds (the Conti scenario, Conti, 1976). Chiosi et al. (1978) were among the first to demonstrate that this is indeed possible, but it still had to be shown that WR single stars exist (remember Kuhl, 1971). Vanbeveren and Conti (1980) reconsidered the galactic census of WR binaries. They concluded that the Kuhl statistics is biased and that the real galactic WR+OB frequency is no more than 30–40%, a percentage that still holds today.

Since 1980 large evolutionary data sets of massive single stars and binaries were calculated and with these data sets in combination with a description of the different processes that govern binary evolution (e.g., the effect of the supernova explosion on orbital parameters, the treatment of binary mergers, the treatment of the effect on orbital parameters of mass loss from the system during the RLOF, etc.) it became possible to predict theoretically how a mas-

sive star population would look like. It was realized that a comparison with the observed population yields important information in order to understand the physics of massive star/binary evolution.

Meurs and van den Heuvel (1989) are probably among the first authors to study in some detail the massive star population including binaries. The authors focussed on the number of evolved early type close binaries in the Galaxy, in particular the X-ray binary population.

Portegies Zwart and Verbunt (1996) introduced the skeleton of what would later on become the population code SeBa used in dynamical N-body simulations. In 1996 they used it to discuss the population of massive binaries with compact companions.

The investigation of the effects of binaries on the population of O-type and WR-type stars also started by the end of the previous millennium (Dalton and Sarazin 1995; Vanbeveren 1995; Vanbeveren et al. 1997; De Donder et al. 1997). A detailed description of the Brussels massive star population code was given in Vanbeveren et al. (1998a = Paper I) (see also Vanbeveren et al. 1998b for an extended review) and it was applied in order to predict the galactic number ratios WR/O, WR+OB/WR, WC/WN, O and WR stars with a compact companion, O and WR runaway stars, O and WR single stars but with a binary origin, O and WR single stars originating from a merged binary, the number of real O and WR single stars, etc. Furthermore, De Donder and Vanbeveren (2004) studied the effects of binaries on the chemical evolution of galaxies and it was therefore necessary in order to extend the code so that it was capable to predict the temporal evolution of the massive star/binary population as a function of metallicity Z.

Since 1998 other research groups wrote massive star+binary population codes with various degree of sophistication, e.g., Nelemans et al. (2001) and Toonen et al. (2012) substantially updated SeBa, Izzard et al. (2004, Binary_c) simulated the population of core collapse supernovae and gamma-ray bursts, Belczynski et al. (2008, Startrack) focussed on relativistic binaries with an application to future gravitational wave detectors. Eldridge et al. (2008) also presented simulations of massive star populations as a function of Z using an extensive grid of

single and binary evolutionary computations.

Spectral synthesis is a powerful tool in order to investigate extragalactic young massive starburst regions in general, the O and WR spectral features in these starbursts in particular. Starburst99 (Leitherer et al. 1999) is extremely useful for galaxies with active star formation but it has to be kept in mind that it does not account for the presence/evolution of massive binaries. The effect of binaries on the spectral synthesis of young starbursts was a main research topic in Brussels (Van Bever et al. 1999; Van Bever and Vanbeveren 2000, 2003; Belkus et al. 2003) and repeated by Eldridge and Stanway (2009) who essentially confirmed the Brussels results.

De Mink et al. (2013, 2014) introduced an important parameter in massive star population studies: rotation. They showed that the observed distribution of rotation velocities in O-type stars can be explained entirely by the process of RLOF and the possible spin-up of mass gainers/binary mergers.

In the line of the work of De Mink et al. a study of the rotation velocities of the O-type companions in WR+O binaries may be most illuminating and may help to answer the question if RLOF and mass transfer happened in WR+O progenitors. Mike Shara, Tony Moffat, Gregor Rauw, Dany Vanbeveren et al. just started an observational project aiming at determining these rotational velocities in as many WR+O binaries as possible. We invite everybody interested in joining the “et al.”.

2 Massive single star + binary population synthesis codes

The Brussels population code has been described in detail in the list of papers given in the introduction and very recent updates are discussed in Mennekens and Vanbeveren (2014). Rather than repeating all the basic ingredients (once more) we prefer to highlight two ingredients which may be different in different codes: the initial-final mass relation and the LBV/RSG stellar wind mass loss rate formalism.

2.1 The initial-final mass relationship

Some codes (e.g., Nelemans et al. 2001; Izzard et al. 2004; Belczynski et al. 2008; De Mink et al. 2013) use single star interpolation formulae proposed by Hurley et al. (2000) and binary-evolutionary algorithms described by Tout et al. (1997) and Hurley et al. (2002). Other codes (e.g., Eldridge et al. 2008; the Brussels code) use an extended library of detailed binary evolutionary computations. The latter two codes and the codes based on the algorithmic method predict massive star populations that differ mainly in the absolute number of mass gainers of

interacting-binaries but the differences are not critical and do not affect overall conclusions made in the papers cited above. A much more severe difference is related to the initial mass-final mass relationship. As was discussed by Mennekens and Vanbeveren (2014) for stars with initial mass $\geq 20 M_{\odot}$ the final masses are significantly larger in Hurley et al. based codes than in the Brussels code, possibly due to different stellar wind mass loss rate formalisms and/or alternative convective core overshooting prescriptions during core hydrogen burning. Note that a similar effect is visible in the intermediate mass range (Toonen et al. 2014). Unfortunately, this difference plays a critical role for the predicted population of binaries with at least one compact companion, even more for systems consisting of two compact stars, and as shown by Mennekens and Vanbeveren (2014) also for the predictions of the detection rates of gravitational wave observatories.

2.2 The stellar wind mass loss rate formalism during the LBV and the RSG phase

LBV. The Brussels code adopts the LBV scenario of massive binaries as has been introduced by Vanbeveren (1991). It states that the LBV phase is a common evolutionary phase of the most massive stars and that the LBV mass loss rate suppresses the RLOF/common envelope phase in case Br / case Bc / case C binaries when the mass loser has a mass higher than $\approx 40 M_{\odot}$ (see also Mennekens and Vanbeveren, 2014, for a recent argumentation). However, when this mass loser is a member of a case A binary, the star will lose most of its hydrogen rich layers due to RLOF prior to the LBV phase and it is tempting then to assume that the LBV phase does not happen. A case A binary in this high mass range then follows a more canonical evolutionary scenario where the case A RLOF is followed by case Br RLOF. Mennekens and Vanbeveren (2014) demonstrated that the way how LBV mass loss is implemented in population codes has an enormous effect on the predicted merger rates of double compact star binaries (primarily double black hole binaries are affected) and thus also on the predicted detection rates of forthcoming advanced LIGO detectors.

Note that the story would be completely different if the LBV phenomenon would appear to be related to massive binary mergers.

RSG. Since the early days when scientist started to investigate the effects of stellar winds on massive star evolution, very conservative formalisms were used in order to study the effects of the RSG wind. Most common was the formalism proposed by de Jager et al. (1988). However, based on observations of Feast (1992), Bressan (1994) concluded that the mass loss rate during the RSG phase of an LMC $20 M_{\odot}$ star could be a factor 10 larger than predicted by the

de Jager et al. formalism. Vanbeveren (1995) was among the first to investigate the effect of these larger rates on the evolution of $20 - 25 M_{\odot}$ single stars. It was concluded that as a consequence of RSG mass loss a $20-25 M_{\odot}$ single star may become a WR star. A more throughout discussion of evolutionary computations of massive single stars with the alternative RSG rates and the effect on the overall WR population was presented in Paper I. Salasnich et al. (1999) also re-investigated the effect of new RSG mass loss rates on the evolution of massive stars and essentially arrived at similar conclusions. Note that these alternative RSG rates also significantly affect the evolution of case C binaries, the RSG scenario as it was described in the Vanbeveren et al. papers which states that RSG mass loss may suppress the RLOF in Case C massive binaries. About 15–20 years after the papers of Bressan and Vanbeveren larger RSG rates were also implemented in the Geneva single star evolutionary code (Ekström et al. 2012; Meynet et al. 2015). In the latter paper it was concluded that enhanced mass-loss rates during the RSG phase have little impact on the WR population, contrary to the simulations made in Brussels. The difference between the Geneva and Brussels results is most probably due to the post-RSG mass loss rates used in both codes. To illustrate let us consider a $20 M_{\odot}$ star. When due to the larger RSG rates this star has lost about $10 M_{\odot}$ during the RSG phase, it leaves the RSG region and starts evolving to the blue part of the HR-diagram. The Geneva code calculates the further evolution by using blue supergiant mass loss rates (Vink-rates) and the star never becomes a WR star. However, although the star still has a rather high hydrogen content in its atmosphere at the moment it leaves the RSG phase (typically $X_{\text{atm}} \approx 0.5$), the models have an internal structure similar to WNL stars. In Brussels we therefore decided to continue the further post-RSG evolution by using typical WNL mass loss rates rather than blue supergiant rates. As a consequence the star loses its remaining hydrogen rich layers, becomes a WNE (also here we use the original nomenclature of Vanbeveren and Conti, 1980) and eventually a WC star. The discussion of post-RSG mass loss rates remains open but at least with the Brussels suggestion it is possible to explain the low luminosity WC stars as observed by Sander et al. (2012). In section 3.2 we will add additional support for higher RSG mass loss rates.

3 Massive single star + binary population synthesis simulations

Note that in this section we only consider population simulations where binaries are included.

3.1 The initial massive binary frequency

First, it is important to realize that accounting for all the physical processes that determine the evolution of binaries, the massive binary frequency (in a population of stars where star formation has been going on for at least a few million years) is smaller than the binary frequency at birth (on the ZAMS). In all the population simulations that we published since Paper I it is assumed that the massive binary frequency (binaries with initial period ≤ 10 yr) at birth $f \geq 0.7$. This latter value is based on the following argumentation. By studying a sample of 67 bright O-type stars Garmany et al. (1980) concluded that 33% ($\pm 13\%$) are primary of a close binary with mass ratio > 0.2 and period $P \leq 100$ days. As discussed in Paper I a population of O-type stars in a field of continuous star formation consists of real single stars, interacting binaries with periods up to 10 years, mergers looking like singles, post-supernova single O-type mass gainers, etc. Therefore, to recover the results of Garmany et al. (1980) with a population synthesis simulation we had to start with an initial binary frequency $f \geq 0.7$.

As was outlined in the introduction, the observed WR+OB binary frequency (in the Galaxy) seems to be not larger than 30-40%. But also a population of WR stars in a region where star formation is continuous consists of real WR single stars, WR+OB binaries, WR stars resulting from binary mergers, single WR stars resulting from post-SN single OB-type mass gainers etc. and also here we had to start with a very high initial binary frequency in order to explain the observed WR+OB frequency.

Recent observations of O-type stars in young clusters seem to confirm a high massive binary fraction (Sana et al. 2008, 2009, 2011, 2012; Rauw et al. 2009) and they propose a value $\geq 50\%$. A similar exercise as the one made in Paper I (and summarized above) was done by De Mink et al. (2014) but using the observations discussed by H. Sana et al.. Also De Mink et al. concluded that in order to recover the observed $\geq 50\%$ massive binary frequency of H. Sana and co-workers, one has to start with an initial binary frequency $\geq 70\%$.

3.2 the RSG/WR number ratio as function of Z

RSG winds significantly affect the RSG-timescale of a massive star and depending on the post-RSG mass loss formalism (see section 2.2), they also significantly affect the WR-timescale. The RSG (and post-RSG) mass loss formalism therefore significantly affects the predicted RSG/WR number ratio. Remark that our population code is the only single star + binary code that includes the effects of the alternative RSG mass loss rates as discussed above. Fig. 1 compares predicted and observed RSG/WR number ratios as function of Z. The observations come from

Massey (2003) with updates as reviewed by Massey et al. (2013). The predictions holds for a population with a binary frequency at birth = 70%. The dashed line is based on the simulation of Eldridge et al. (2008), the full lines are the Brussels predictions (predictions depend on parameters who's values are subject to some uncertainty; varying the values of these parameters yields a maximum and a minimum RSG/WR number ratio, resp. the upper line and the lower line in Fig. 1). The main difference between the simulation of Eldridge et al. and the Brussels one is the RSG mass loss formalism and we are inclined to conclude that the prediction with the alternative (higher) RSG rates fits the observations better, supporting the conclusion of section 2.2.

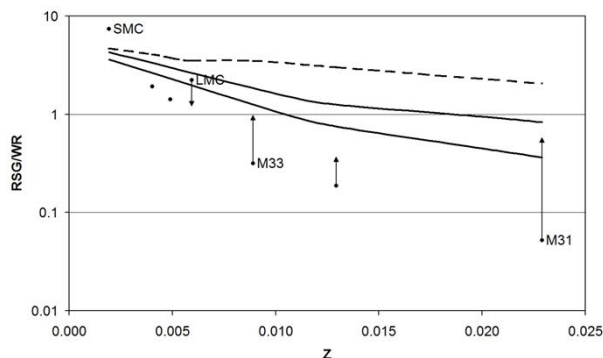


Fig. 1: A comparison between the observed and predicted RSG/WR number ratio as function of Z . The observations are those reviewed by Massey (2003) and the arrows indicate updates as discussed by Massey et al. (2013). The dashed line is the prediction proposed by Eldridge et al. (2008), the full lines are the maximum/minimum (see text) predictions made with the Brussels code.

3.3 The WC/WN number ratio as function of Z

L. Smith (1973) argued that metallicity might be responsible for the relative absence of WCs in the Magellanic Clouds, but without understanding the physical mechanism. Vanbeveren and Conti (1980) were among the first to link the effect of Z on stellar wind mass loss and the WC/WN- Z dependence. Detailed population simulations (with binaries) were presented by Vanbeveren et al. (2007) and Eldridge et al. (2008) and compared to observations. It was concluded that correspondence is rather satisfactory. In both studies the observations were those discussed by Massey (2003). It can readily be checked that recent updates (Neugent et al. 2013) do not significantly change the overall conclusions made in the two population studies cited above.

3.4 The SNII and SNIbc population

Studies of the effect of binaries on the population of SNII and SNIbc are numerous and go back to the very beginning of massive binary evolution research. Interested readers may consider Tutukov et al. (1992), Podsiadlowski et al. (1992), Joss et al. (1992), De Donder and Vanbeveren (1998, 2003, 2004), Belczynski et al. (2002) and references therein. Some more recent work essentially confirms the earlier results. One of the conclusions is that most of the progenitors of SN Ibc are massive binary components with an initial mass $\geq 10 M_{\odot}$, e.g. most of the progenitors of SN Ibc do not have an initial mass ≥ 25 - $30 M_{\odot}$ and thus most of the progenitors of SN Ibc are not WR stars. Moreover, since the population of SN II and SN Ibc depends so much on the massive interacting binary population, one may wonder whether SN-population differences between different types of galaxies may reflect differences in the population of these massive binaries.

De Donder and Vanbeveren (1998) compared the overall (cosmological) observed SN II and SN Ibc population with population simulations and it was concluded that the overall cosmological massive interacting binary frequency should be about 50%.

3.5 The initial rotational velocity distribution

The observed rotational velocities of O-type stars in the Galaxy has been discussed by Conti and Ebbets (1977), Penny (1996), and in Paper I. An analysis of these observations in terms of massive single star and close binary evolution was presented in Vanbeveren (2009). It was concluded that a majority of massive O-type stars are born as relatively slow rotators with an average < 200 km/s rather than the 300 km/s used by the Geneva team. The rotation velocity distribution proposed in the papers cited above shows that there is a significant group of rapidly-rotating O-type stars but many of the stars in this latter group are runaways with a peculiar space velocity > 30 km/s. This means that many of them do not have a canonical single star history but are the product of binary evolution (binary mergers, spun-up binary mass gainers, mergers due to dynamical interaction in dense clusters). The latter paper then suggested the following: *if one asks whether or not rotation is important for stellar evolution, the answer is yes but perhaps mainly in the framework of binary evolution (rapidly-rotating mass gainers and binary mergers) or in the framework of dynamics in dense clusters where stars collide, merge and become rapid rotators.*

Within the VLT-Flames Tarantula survey Ramirez-Agudelo et al. (2013) investigated the rotational velocities of the O-type stars in 30 Dor and obtained a distribution which is very similar as the

one proposed for the Galaxy in the papers listed above.

De Mink et al. (2013) implemented rotation and the evolution of rotation in a population code of single stars and of close binaries. They concluded that starting with an initial population of slowly rotating massive stars (average velocity = 100 km/s), the observed rotational velocity distribution (the one discussed in the papers cited above) can be recovered by properly accounting for all processes that affect the rotation in single star and binary evolution. Therefore (in line with the suggestion of Vanbeveren, 2009 cited above) it can not be excluded that most massive O-type stars are born as slow rotators, much slower than the average value adopted by the Geneva team in their standard evolutionary calculations. If this is true then one may be inclined to conclude that *the overall evolution of massive single stars and of most of the binary components prior to the onset of RLOF hardly depends on rotation.*

4 Conclusions

We like to end this paper with an advice and an overall conclusion.

Advice (not only for young scientists): before starting a research topic, try to get a literature overview that is as complete as possible and do not forget that also in the previous millennium interesting studies have been published.

Conclusion: a theoretical population study of massive stars where binaries are ignored may have an academic value but may be far from reality.

References

- Belczynski, K., et al. 2002, ApJ, 572, 407
 Belczynski, K., et al. 2008, ApJS, 174, 223
 Belkus, H., et al. 2003, A&A, 400, 429
 Bressan, A. 1994, in Meeting: Evolution of massive stars, 373
 Castor, J. et al. 1975, ApJ, 195, 157
 Chiosi, C., et al. 1978, A&A, 63, 103
 Conti, P. 1976, MSRSL 9, 193
 Conti, P., Ebbets, D. 1977, ApJ, 213, 438
 Dalton, W., Sarazin, C. 1995, ApJ, 448, 369
 De Donder, E., Vanbeveren, D. 1998, A&A, 333, 557
 De Donder, E., Vanbeveren, D. 2003, NewA, 8, 415
 De Donder, E., Vanbeveren, D. 2004, NewA Review, 48, 861
 De Donder, E., et al. 1997, 318, 812
 De Jager, C., et al. 1988, A&AS, 72, 259
 De Mink, S., et al. 2013, ApJ, 764, 166
 De Mink, S., et al. 2014, ApJ, 782, 7
 Ekstrom, S., et al. 2012, A&A, 537, A146
 Eldridge, J., Stanway, E. 2009, MNRAS, 400, 1019
 Eldridge, et al. 2008, MNRAS, 384, 1109
 Feast, M. 1992, in Proceedings of the International Colloquium, 18
 Garmany, C., et al. 1980, ApJ, 242, 1063
 Hurley, J., et al. 2000, MNRAS, 315, 543
 Hurley, J., et al. 2002, MNRAS, 329, 897
 Izzard, R., et al. 2004, MNRAS, 350, 407
 Joss, P., et al. 1992, IAUS, 151, 523
 Kuhi, L. 1973, IAUS, 49, 205
 Leitherer, C., et al. 1999, ApJS, 123, 3
 Massey, P. 2003, ARA&A, 41, 15
 Massey, P., et al. 2013, Massive Stars: From α to Ω
 Mennekens, N., Vanbeveren, D. 2014, A&A, 564, A134
 Meurs, E., Van den Heuvel, E. 1989, A&A, 226, 88
 Meynet, G., et al. 2015, A&A, 575, A60
 Nelemans, G., et al. 2001, A&A, 365, 491
 Neugent, K., et al. 2013, Massive Stars: From α to Ω
 Penny, L. 1996, Ph.D. Thesis, Georgia State University
 Podsiadlowski, P., et al. 1992, ApJ, 391, 246
 Portegies Zwart, S., Verbunt, F. 1996, A&A, 309, 179
 Ramirez-Agudelo, O., et al. 2013, A&A, 560, A29
 Rauw, G., et al. 2009, MNRAS, 398, 1582
 Salasnich, B., et al. 1999, A&A, 342, 131
 Sana, H., et al. 2008, MNRAS, 386, 447
 Sana, H., et al. 2009, MNRAS, 400, 1479
 Sana, H., et al. 2011, MNRAS, 416, 817
 Sana, H., et al. 2012, Sci, 337, 444
 Sander, A., et al. 2012, A&A, 540, A144
 Smith, L. 1973, IAUS, 49, 228
 Toonen, S., et al. 2012, A&A, 546, A70
 Toonen, S., et al. 2014, A&A, 562, A14
 Tout, C., et al. 1997, MNRAS, 291, 732
 Tutukov, A., et al. 1992, ApJ, 386, 197
 Van Bever, J., Vanbeveren, D. 2000, A&A, 358, 462
 Van Bever, J., Vanbeveren, D. 2003, A&A, 400, 63
 Van Bever, et al. 1999, NewA, 4, 173
 Vanbeveren, D. 1991, A&A, 252, 159
 Vanbeveren, D. 1995, A&A, 294, 107
 Vanbeveren, D. 2009, NewA Review, 53, 27
 Vanbeveren, D., Conti, P. 1980, A&A, 88, 230
 Vanbeveren, D., et al. 1997, A&A, 317, 487
 Vanbeveren, D., et al. (Paper I) 1998a, NewA, 3, 443
 Vanbeveren, D., et al. 1998b, A&A Review, 9, 63
 Vanbeveren, D., et al. 2007, ApJ, 662, 107

Philip Massey: I have a comment and a question. First, J. J. Eldridge made the point yesterday that we really have to worry about “duplicity” and not “binary/not-binary”. I took this to mean that there is a range of properties of binaries, including mass ratios and orbital separations, that are going to affect to what degree the stars will interact, if at all. In other words, simply saying that “all massive stars are in binaries” doesn’t actually mean that we have to worry about binary evolution: maybe we do, and maybe we don’t. One greatly overestimates the fraction of stars that will interact by assuming that all massive stars go through a RSG phase (see, e.g., Sana et al. 2012). So, while binary evolution may be important, you don’t demonstrate that by just saying, “All massive stars are born in binaries!” My question is, why have you cherry-picked the observational data with which to compare? You show my WC/WN ratios from 2003 to compare with your models, but we’ve done a lot of work to improve these numbers over the past 12 years. The same is true for the number of RSGs to WRs.

Dany Vanbeveren: Let me start with your question: my talk is a review, so when referring to Eldridge et al. (2008) I used the data that they used namely those of your ARA&A paper of 2003. However, for the written version I promise to add a few observation-updates and I leave it to the interested reader to decide if conclusions remain valid.

What about the comment. It is easy to show that most of the massive binaries (and massive here means binaries with primary mass $\geq 10 M_{\odot}$) with initial period ≤ 10 years are interacting. Even more: the value 10 years is based on the assumption that the star is in a circular orbit and this needs not to be the case (we know from observations that the larger the binary period the more eccentric the orbit). So, binaries with a period much larger than 10 years may still be interacting binaries. When one considers massive binaries with primary masses larger than, say, $20 M_{\odot}$, there the RSG scenario may be at work (see the paper) stating that binaries where the RSG phase (with larger RSG mass loss rates) happens before the RLOF will start will not interact. Still (based on detailed population simulations) it can be concluded that at least 60–70% of the massive binaries with primary mass $> 20 M_{\odot}$ and initial period < 10 years will interact. Last but maybe not least: binaries with primary masses $> 40 M_{\odot}$. Here the LBV scenario may be at work (see again the paper), e.g., when the binary period is such that the primary turns into an LBV before the RLOF can start, the latter may be avoided and the binary then

can be considered as non-interacting. A significant fraction of binaries in this mass range may therefore be non-interacting (may be all except case A binaries). The LBV story would of course be completely different if the LBV phenomenon is linked to binary merging rather than a general evolutionary phase of a very massive star. Note that the RSG/LBV scenario is accounted for in the Brussels binary population code (already since 1998) but this is not true for all existing codes.

Cyril Georgy: A comment about the mixing in massive stars. In current stellar evolution codes including rotation, rotational mixing (of chemicals and of angular momentum) is parametrised, and is not a prediction of the models. It is thus not possible so far to argue that a star rotating at 100 km/s will not mix. It may be the case, or not.

Tony Moffat: You told me earlier in this meeting that you need RSGs with higher M-dots to make RLOF work in medium-period binaries ($P \approx 50$ – 3000 d) with $M_1 = 25$ – $40 M_{\odot}$ for the primary. But where are such RSGs? We don’t see them: the observed upper mass limit for RSG is $25 M_{\odot}$ (Massey et al. 2007+). You also said that we don’t see such RSG, not because they don’t exist, but because the lifetimes (a few 10^4 years) are so short. But among the large samples of known RSG, this time is *not* too short to prevent us from seeing them I would say. Those RSGs that we do see have lifetimes of several 10^4 years, too, and we have no trouble seeing them.

Dany Vanbeveren: This looks like a misunderstanding. If the period of a binary is such that the primary fills its Roche lobe before an eventual RSG will happen, this RSG phase will be avoided. However, when the period is such that an eventual RSG phase will happen before the RLOF can start (of the order of 1000 days depending on the initial mass of the primary), the latter may not start at all (the RSG scenario of massive binaries as explained in the paper). A general theorem of binary evolution sounds as follows: when a star still has the tendency to expand at the moment that it fill its Roche lobe when the star is a binary component, then the RLOF will happen.

About the upper mass limit of RSG: this can indeed be due to the fact that stars above this mass limit do not become RSG, but I wonder whether or not one can exclude the fact that this apparent upper mass limit is due to the combination of IMF-arguments and the fact that the RSG-lifetime becomes shorter the larger the stellar mass.



Dany Vanbeveren asking a question



The conference audience shortly before leaving for the excursion



The Big Refractor of the Astrophysical Observatory Potsdam